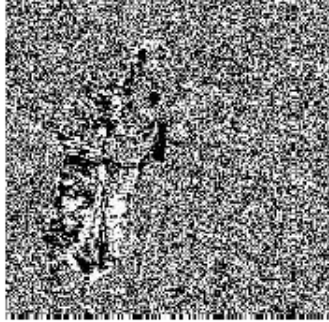
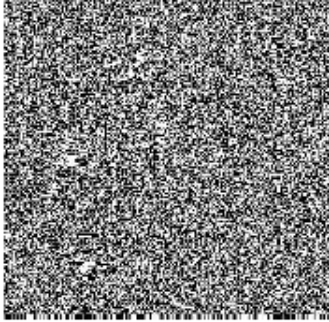


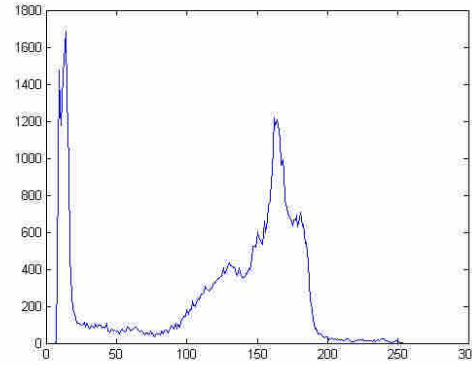
Example



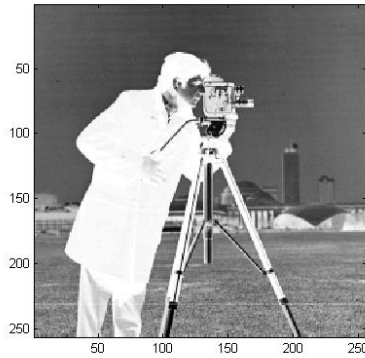
```
A=imread('cameraman.tif');  
A=double(A);  
for i=1:8  
    B(:,:,i)=uint8(A>=2^(8-i));  
    A=A-2^(8-i).*double(B(:,:,i));  
end  
figure  
for i=1:8  
    subplot(3,3,i)  
    imagesc(B(:,:,i))  
end  
colormap(gray)  
subplot(3,3,9)  
A=imread('cameraman.tif');  
A=double(A);  
imagesc(A)
```



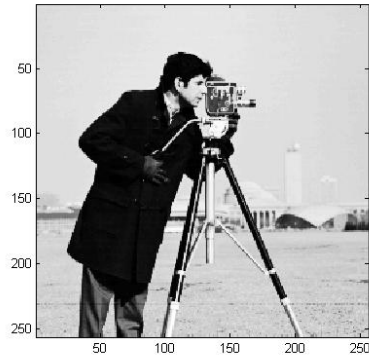
A (Original image)



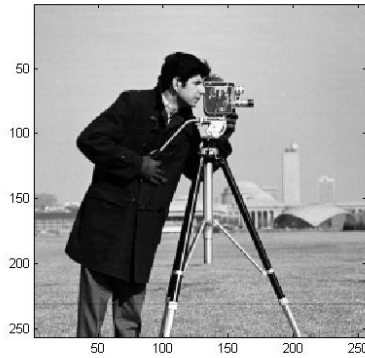
plot(x,y) A



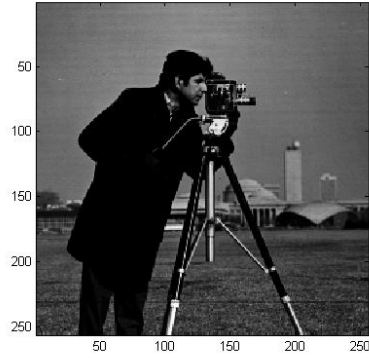
B (negative)



C



D



E

```

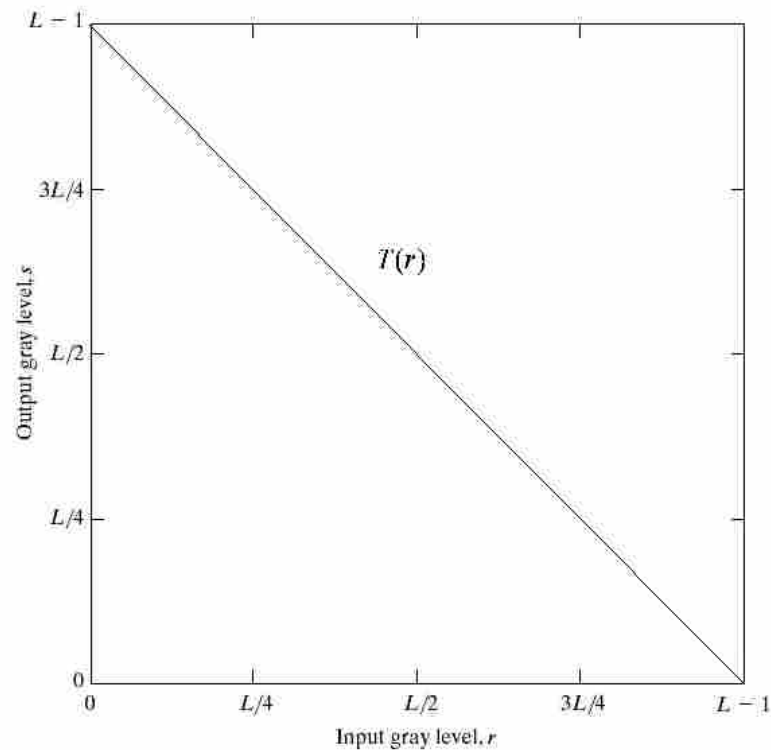
A=imread('cameraman.tif');
imagesc(A)
colormap(gray)
A=double(A);
x=0:255;
[y,x]=hist(A(:,x));
figure
plot(x,y)
B=255-double(A);
figure
imagesc(B)
colormap(gray)
C=A*2.*(A<=100)+(200+55/155
*(A-100)).*(A>100);
figure
imagesc(C)
colormap(gray)
D=sqrt(A*255);
imagesc(D)
E=A.^2/255;
imagesc(E)

```

Image negatives

The negative of an image with gray levels in the range $[0, L-1]$ is obtained by the following expression

$$s = L - 1 - r.$$



Transformation function



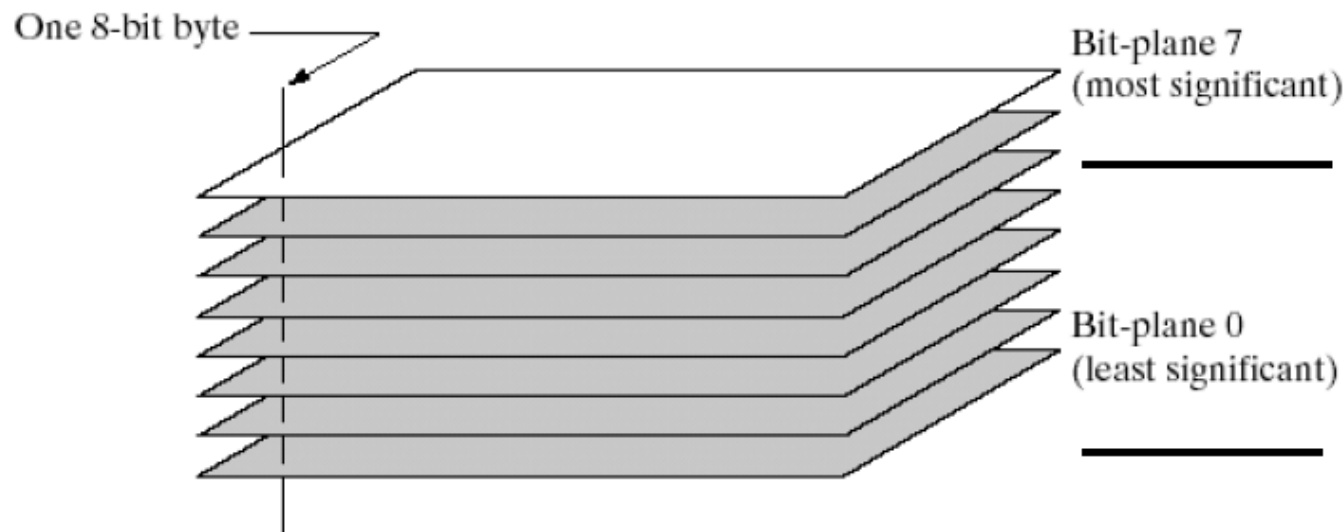
Original Image



Negative Transformation

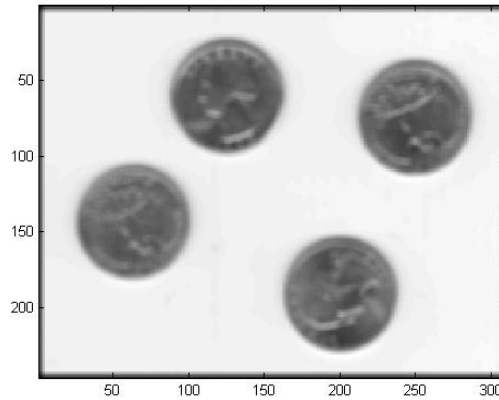
Bit-plane slicing

- Bit-plane slicing :highlighting the contributions of specific bits

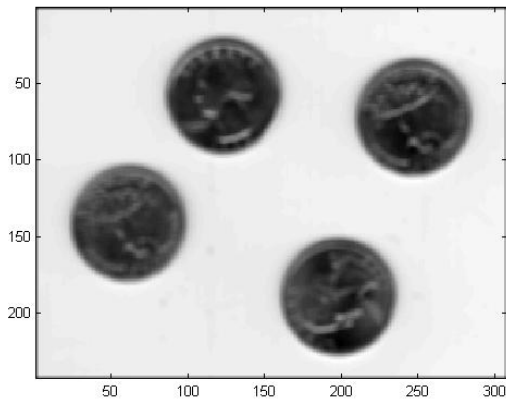




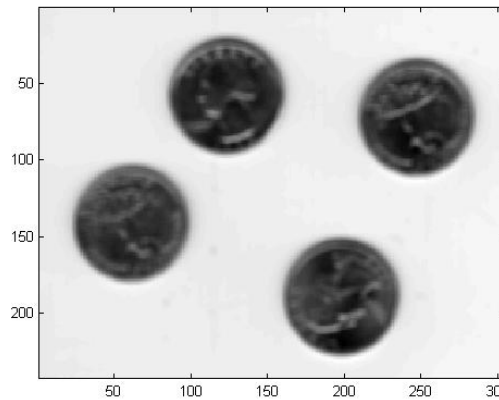
A (Original image)



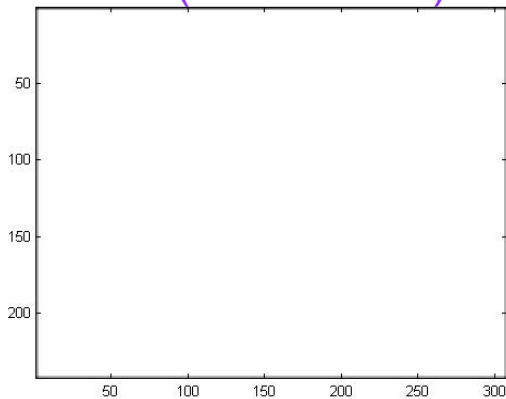
B (convolution)



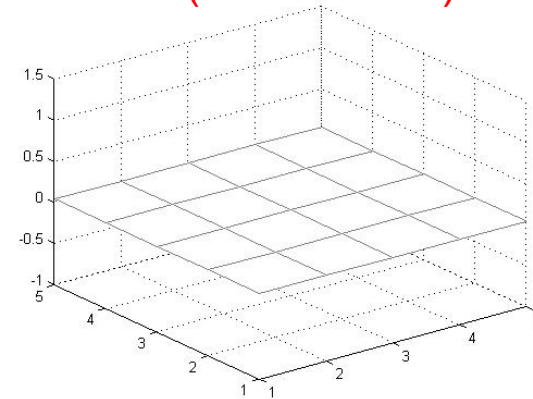
B (convolution)



B (convolution)



C1

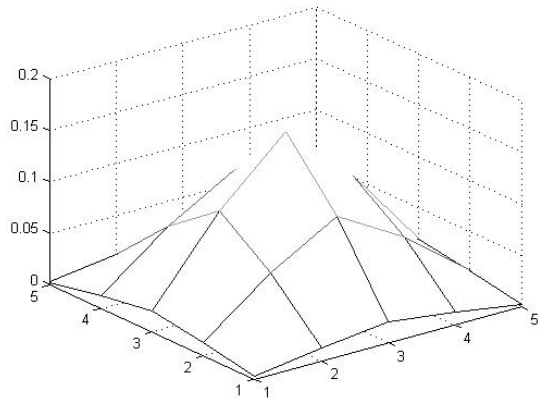


M

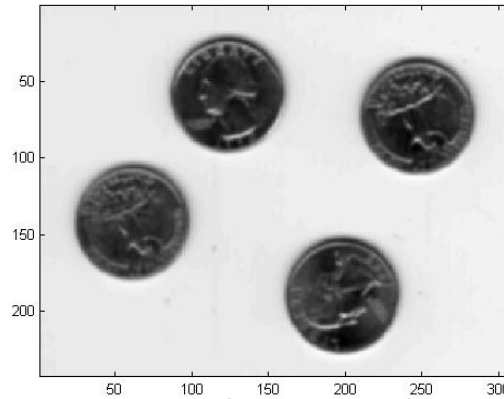
```

A=imread('eight.tif');
A=double(A);
imagesc(A)
colormap(gray)
M=ones(5)/25;
B=conv2(A,M);
figure
imagesc(B)
colormap(gray)
B=conv2(A,M,'same');
imagesc(B)
colormap(gray)
C=ones(size(B));
B=conv2(A,M,'same')./
conv2(C,M,'same');
imagesc(B)
colormap(gray)
C1=conv2(C,M,'same');
figure
colormap(gray)
imagesc(C1*255)
mesh(M)

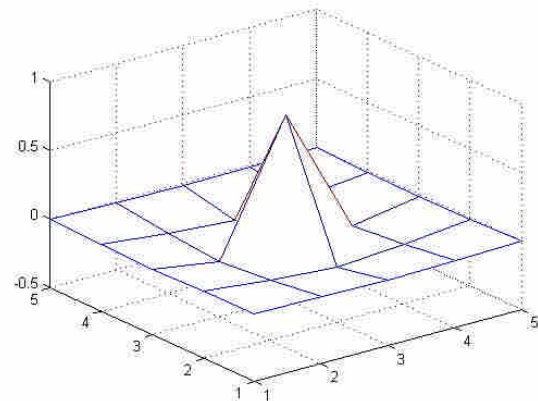
```



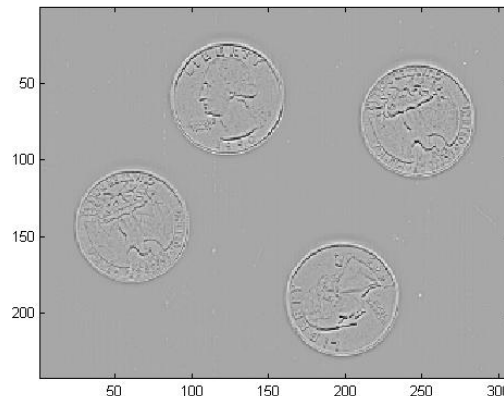
M1



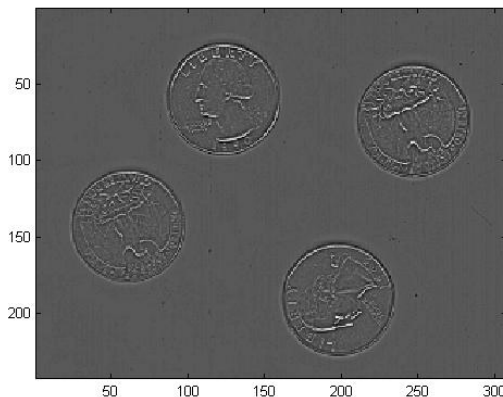
B (lowpass)



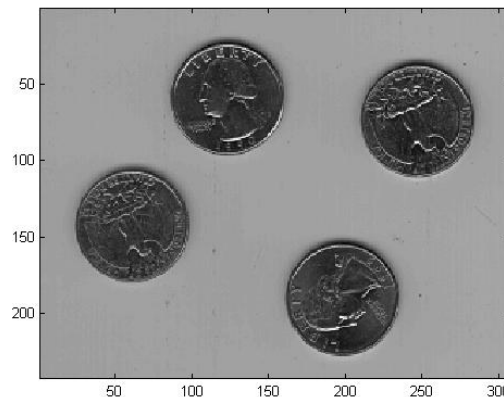
M2



B (highpass)

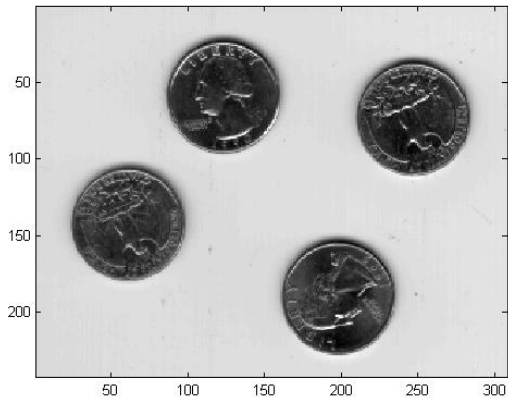


C (highpass=1-lowpass)

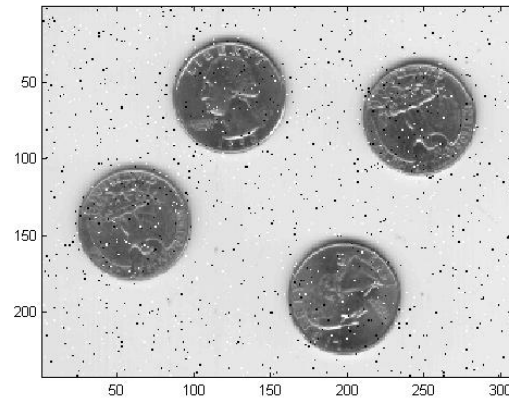


C+A (highboost)

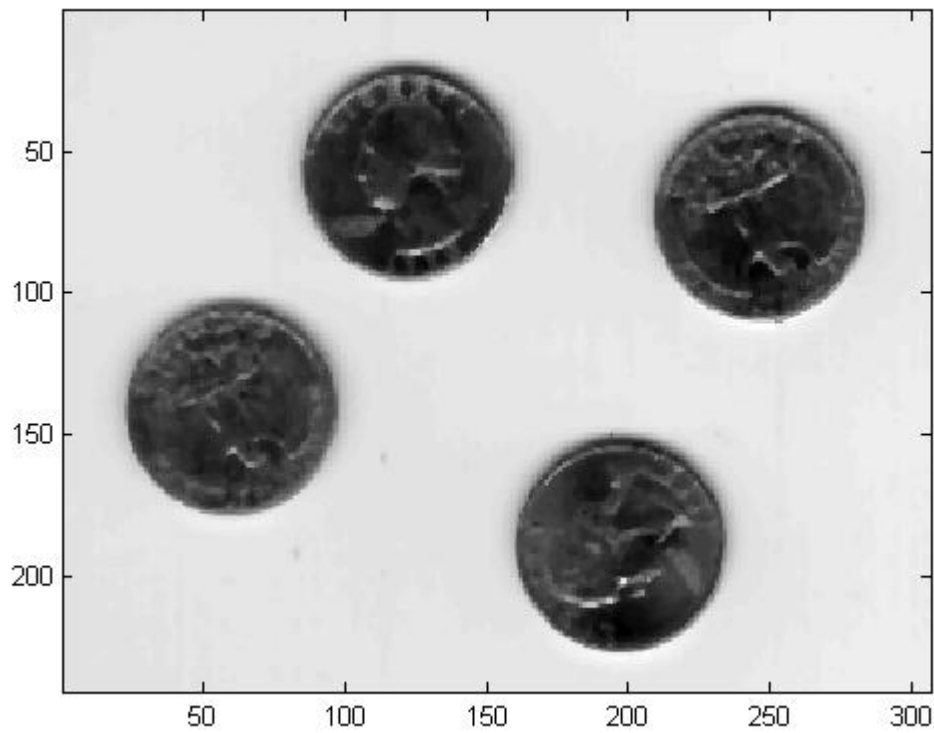
```
f=[.05 .25 .4 .25 .05];
M1=f'*f;
mesh(M1)
B=conv2(A,M1,'same')./
conv2(C,M1,'same');
figure
imagesc(B)
colormap(gray)
D=zeros(5);
D(3,3)=1;
M2=D-M1;
mesh(M2)
B=conv2(A,M2,'same')./
conv2(C,M2,'same');
imagesc(B)
B=conv2(A,M1,'same')./
conv2(C,M1,'same');
C=A-B;
imagesc(C)
imagesc(C+A)
```



I (Original image)

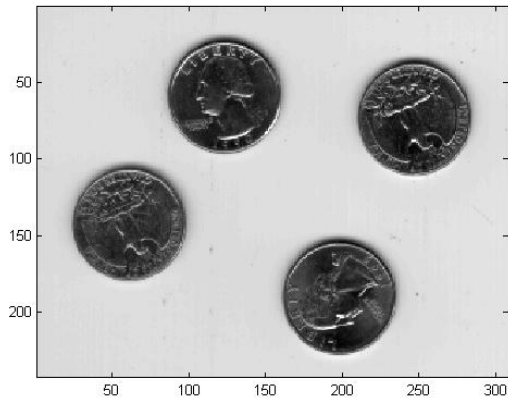


J (salt & pepper noise)

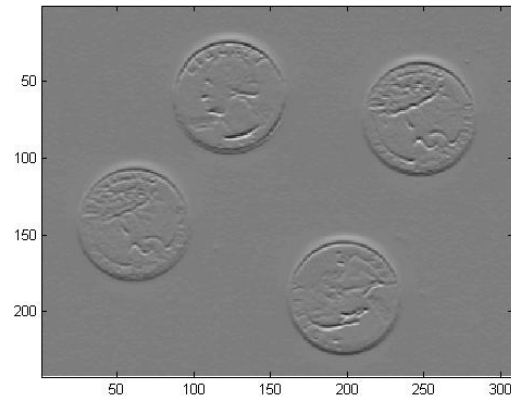


G (median filter)

```
I = imread('eight.tif');  
J = imnoise(I,'salt & pepper', 0.02);  
imagesc(I), figure, imagesc(J)  
J=double(J);  
for i=1:240  
    for j=1:306  
        temp=J(i:i+2,j:j+2);  
        temp1=sort(temp(:));  
        G(i,j)=temp1(5);  
    end,end  
figure  
colormap(gray)  
imagesc(G)
```



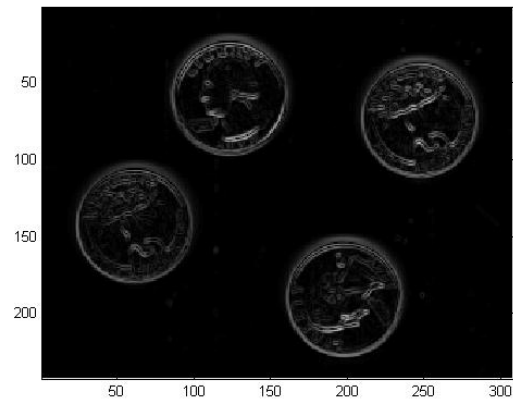
Original image



A1(Sobel1)



A2(Sobel2)



A1+A2

```

sobel1=[-1 -2 -1;0 0 0;1 2 1];
sobel2=sobel1';
A1=conv2(A,sobel1,'same');
A2=conv2(A,sobel2,'same');
figure
imagesc(A1)
colormap(gray)
figure
imagesc(A2)
colormap(gray)
imagesc(sqrt((A1).^2+(A2).^2))

```

Basics of Spatial Filter

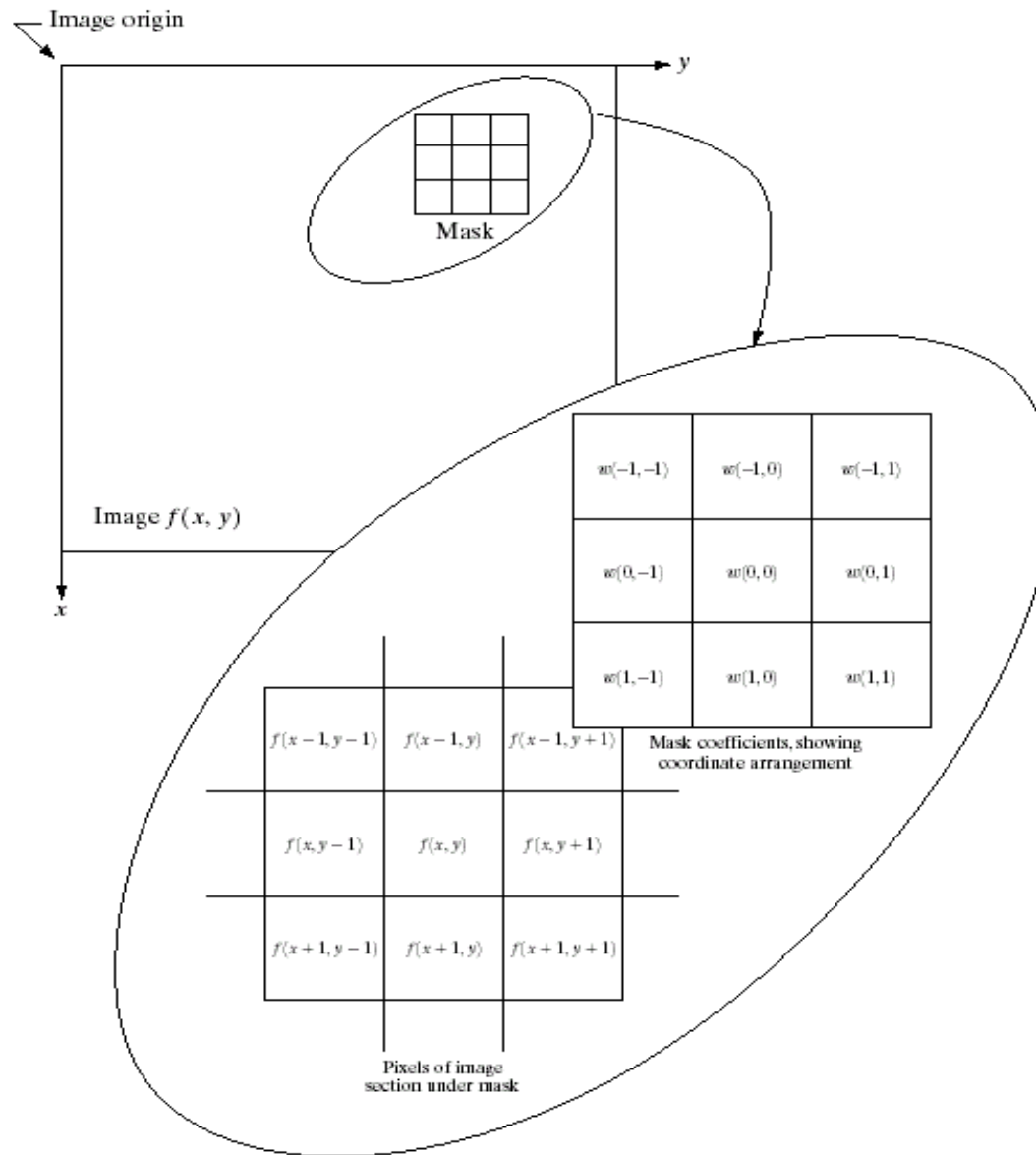


FIGURE 3.32 The mechanics of spatial filtering. The magnified drawing shows a 3×3 mask and the image section directly under it; the image section is shown displaced out from under the mask for ease of readability.

Basics of Spatial Filter

- In general, linear filtering of an image f of size $M \times N$ with a filter mask of size $m \times n$ is given by the expression:

$$g(x, y) = \sum_{s=-a}^a \sum_{t=-b}^b w(s, t) f(x + s, y + t)$$

$a = (m-1)/2$ and $b = (n-1)/2, m \times n$ (odd numbers)

Basics of Spatial Filter

- The basic approach is to sum products between the mask coefficients and the intensities of the pixels under the mask at a specific location in the image:

$$R = w_1 z_1 + w_2 z_2 + \dots + w_9 z_9$$

FIGURE 3.33
Another
representation of
a general 3×3
spatial filter mask.

w_1	w_2	w_3
w_4	w_5	w_6
w_7	w_8	w_9

(for a 3×3 filter)